

MUSICAL SOUNDS

Properties, analysis
and additive resynthesis

Musical sound

Definition: a musical sound is a sound produced by a musical instrument.

Musical sounds have the following features:

- **pitch** – placement on a musical scale
- **timbre** – how it “sounds”
- **loudness**
- **duration**

Loudness and timbre are usually dynamic – they change as the sound plays.



Musical sounds

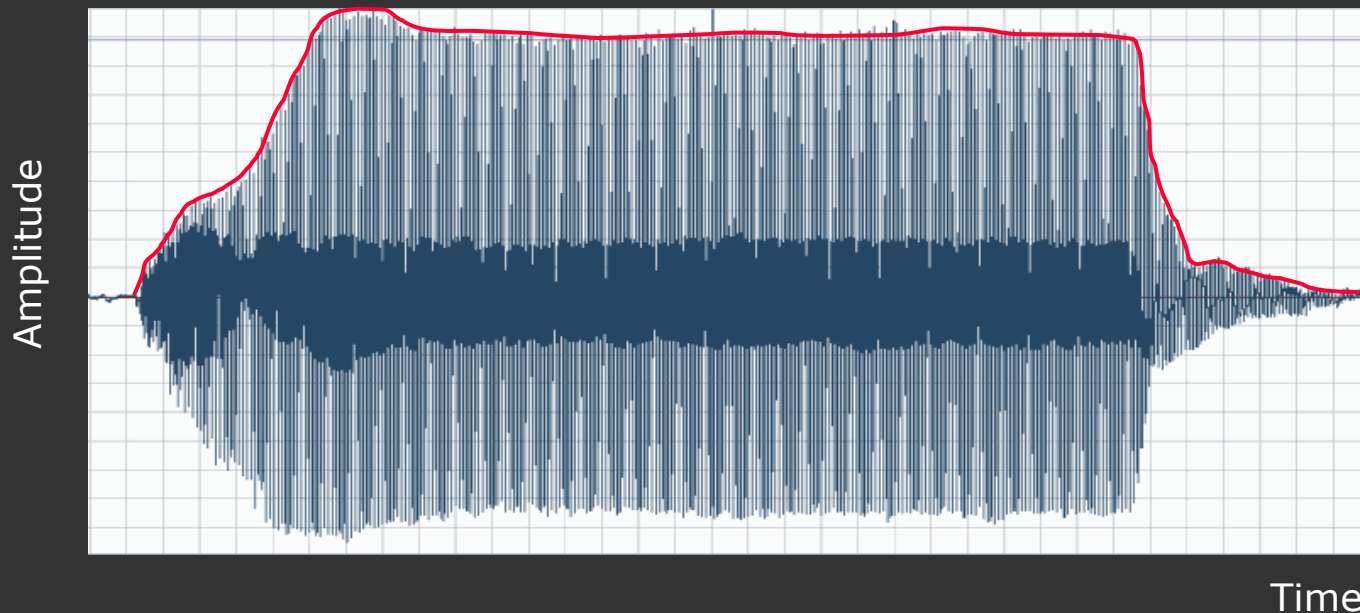
- **Melodic sounds:**
 - have a defined pitch,
 - they have a harmonic structure,
 - instruments: strings, winds, a few percussives
- **Rhythmic (non-melodic) sounds:**
 - pitch is undefined,
 - they have noise-like character,
 - most percussive instruments (e.g. a drum kit).

Synthetic musical sounds

- The aim of **sound synthesis** is to create a signal that has properties of a musical sound.
- That does not mean that we have to recreate sounds of existing instruments.
- We can create **synthetic** signals that sound the way we like, but they (usually) need to have features of a musical sound.
- The most important factors we need to control:
 - amplitude envelope,
 - spectral structure,
 - variability in time.

Temporal analysis and envelope

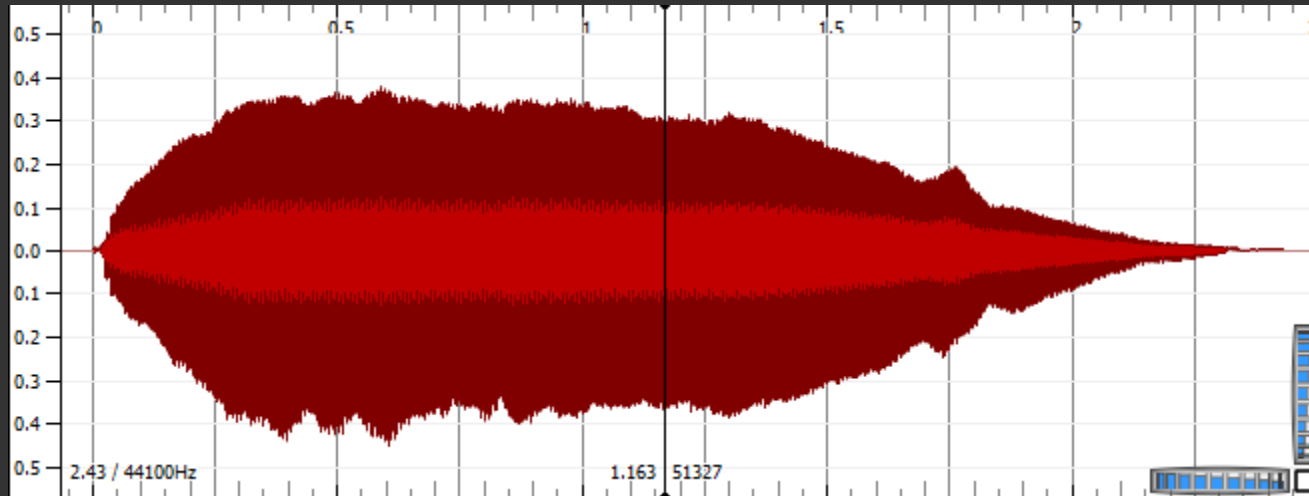
- Temporal analysis shows how the **amplitude** changes in time.
- We can also determine sound **duration**.
- **Envelope** follows the “edge” of the time plot.
- Envelope represents **loudness variations** in sound.



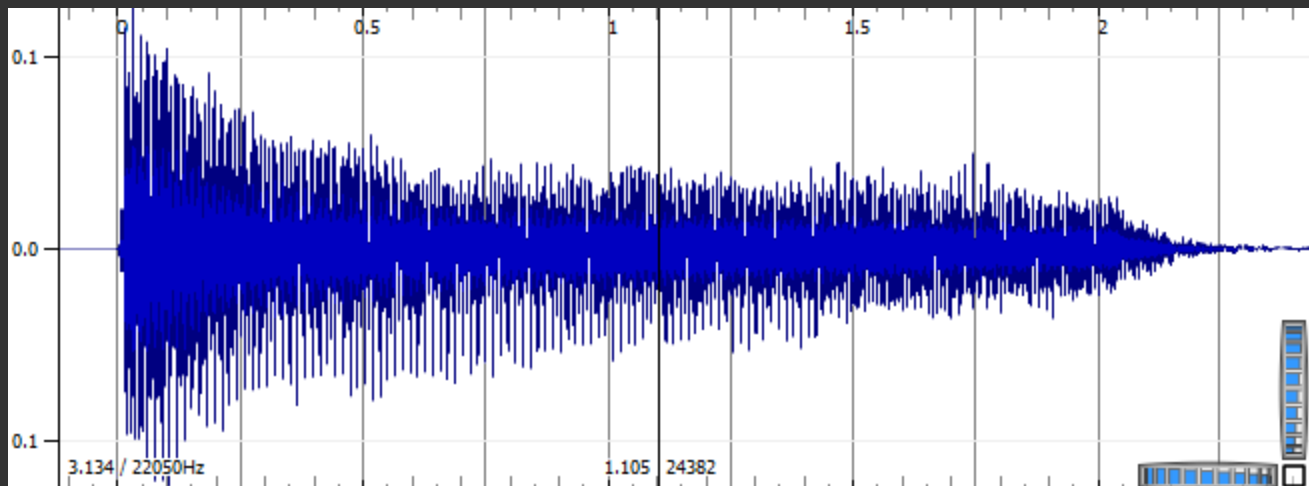
Phases of the sound envelope

- **Attack (A) + decay (D)**
 - the sound builds up, its envelope rises up
 - the initial transient (unsteady state)
 - large changes in timbre – attack defines the sound
- **Sustain (S)**
 - steady state, the sound continues to play, but its loudness and timbre may change (e.g. vibrato).
 - some instruments do not have the sustain phase.
- **Release (R)**
 - the sound naturally fades out.

Examples of sound envelope



Trumpet



Piano

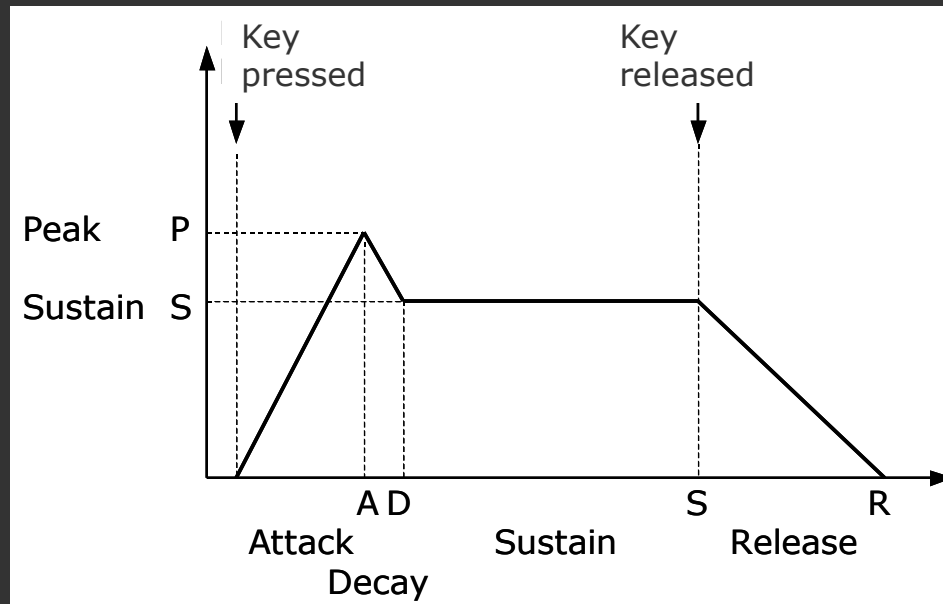
Envelope and the sound

- The shape of envelope depends on the instrument.
- The envelope also changes due to **articulation**
 - the way a musician plays on the instrument.For example, picking the guitar string harder shortens the attack and lengthens the release phase.
- How do we create the envelope in a **synthesizer**?
- **Envelope generator** creates a control signal
 - an **ADSR** envelope.
- This signal is used to control the **gain** of the output amplifier, so that **the loudness changes** according to the envelope shape.

ADSR envelope

Parameters of the classic ADSR envelope:

- **A**: attack phase duration
- **D**: decay phase duration
- **S**: sustain phase level (not duration!)
- **R**: release phase duration

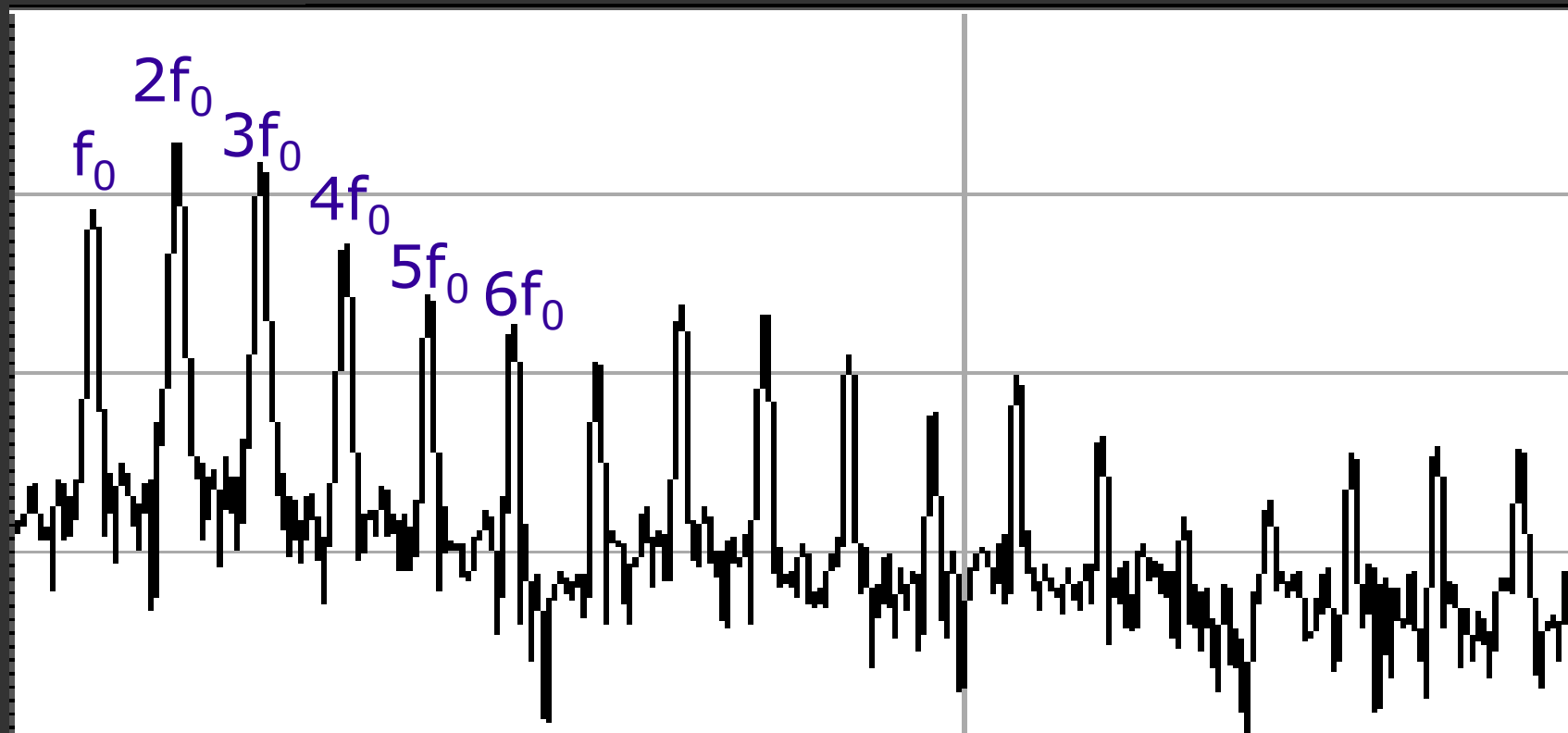


Spectral analysis

- Determining sound properties in the frequency domain.
- Spectrum of the musical sound defines its **pitch** and **timbre**.
- Fourier analysis: any periodic signal can be decomposed into a sum of harmonic (sine) tones (**partials**) with different amplitudes and frequencies.
- How to compute a spectrum:
 - cut a part of the sound (preferably: a period) with a window,
 - compute the Fourier transform (FFT),
 - the result: spectral amplitude vs frequency.

Spectrum of a typical musical sound

Spectral amplitude



Frequency

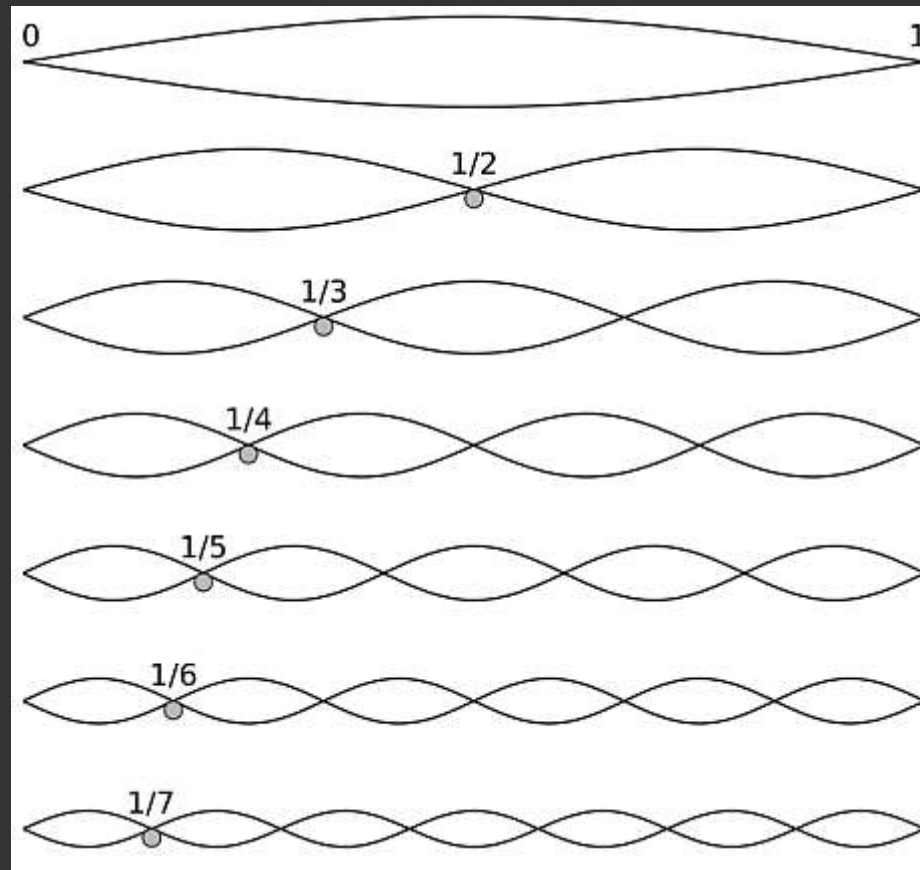
Spectrum of a musical sound

What do we observe in the plot?

- The spectrum has **peaks** – strong maxima.
- Peaks are placed in equal distances from each other, they form **harmonic series**.
- The first peak is found at the **fundamental frequency** of the sound (f_0).
- Higher peaks are **harmonics**: first ($2f_0$), second ($3f_0$), third ($4f_0$), and so on.
- A spectrum can also contain small non-harmonic peaks and a noise floor.

Spectrum of a musical sound

Why does the spectrum look like this? Because the sound is composed from standing waves, with different amplitudes.



Spectrum of a musical sound

REMEMBER THIS!!!

- The fundamental frequency of a sound defines its **pitch**.
- Structure of all spectral components defines the **timbre** of the sound.

Spectrum of a musical sound

It's not that easy in practice.

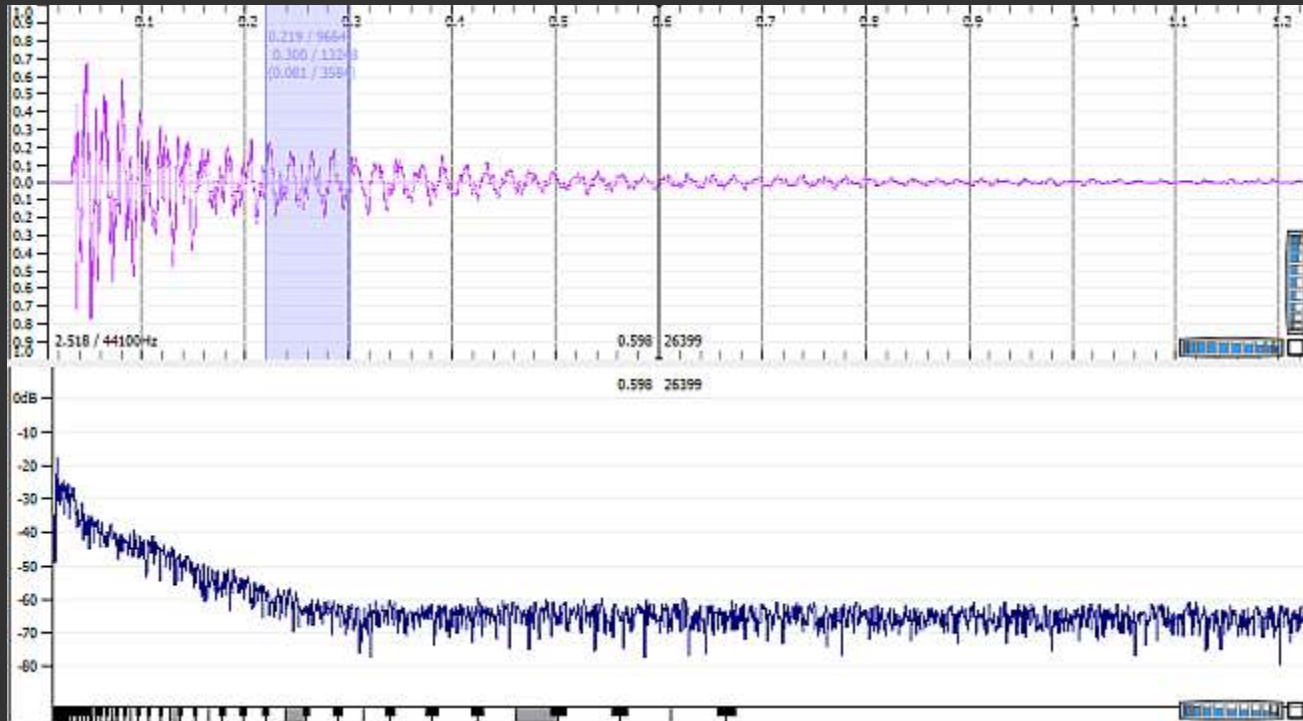
- Sometimes the first spectral peak is not the fundamental. It has to be the first peak in the harmonic series.
- In some sounds, even peaks (f_1 , f_3 , f_5 , ...) are missing from the spectrum – but it's still a harmonic sound.
- A few bell-like instruments produce inharmonic sounds.
- Most percussive sounds have a noise-like spectrum; there are no peaks, so no fundamental frequency and therefore, no pitch.

Percussive sounds

- Most percussive sounds have undefined pitch, they cannot be positioned on a musical scale.
- They usually are a band-limited noise with a specific envelope (very short attack, no sustain, long release).
- Depending on the spectral structure, we can say that the sound is higher or lower.
- But we cannot define a pitch (e.g. A1), because there is no fundamental frequency.

Percussive sounds

Synthetic percussive sounds are created by filtering a wideband noise and adding an envelope (very easy to do).



Describing a sound

- **Low / high:**
 - describes a pitch – position on a musical scale,
 - does not depend on a timbre.
- **Dark / bright:**
 - describes a timbre
 - higher bandwidth (larger number of partials) means that the sound is brighter
 - does not depend on the pitch.
- **Quiet / loud:**
 - depends only on the amplitude.

Additive synthesis

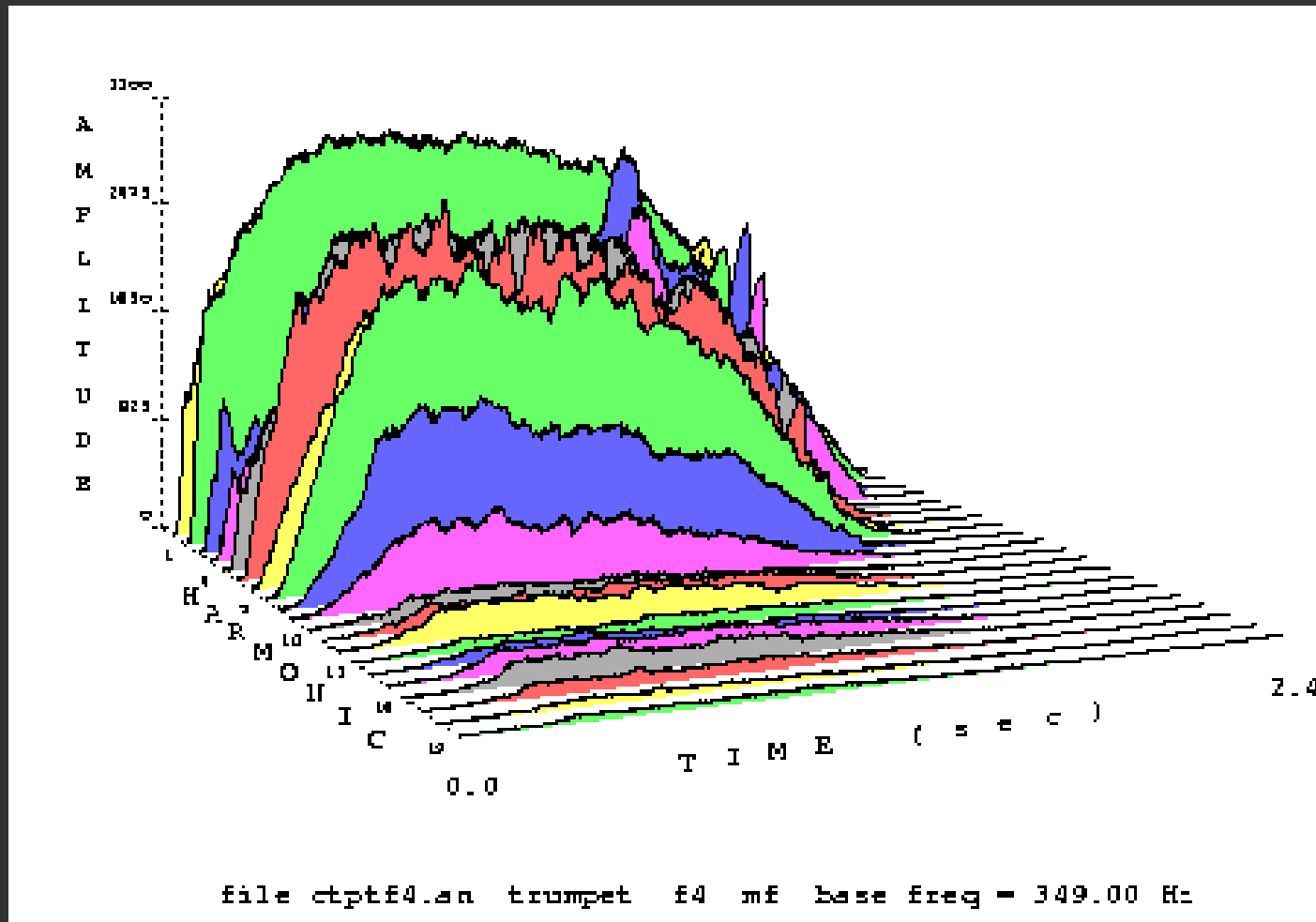
- We already know that a harmonic sound may be decomposed into partials.
- This process can be reversed: we can **sum** partials:
 - with **frequencies** in a harmonic order defined by a fundamental,
 - with **amplitudes** selected in order to obtain the desired spectral shape.
- This is the **additive sound synthesis** (from Latin: *additio*).
- This method was rarely used in commercial synthesizers.

Spectral changes in musical sounds

- The example of a spectrum presented earlier was captured at an arbitrary moment.
- If the spectrum remains the same for the whole sound duration, the sound is dull, dead, uninteresting.
- The spectrum (and hence the timbre) of musical instruments sounds is **variable, dynamic**.
- Articulation (the way a musician plays the instrument) has a very large impact on the timbre changes, especially in the attack phase.
- In order to get alive, interesting sounds, we need to introduce the timbre changes into the synthesis process.

Waterfall spectrum plot

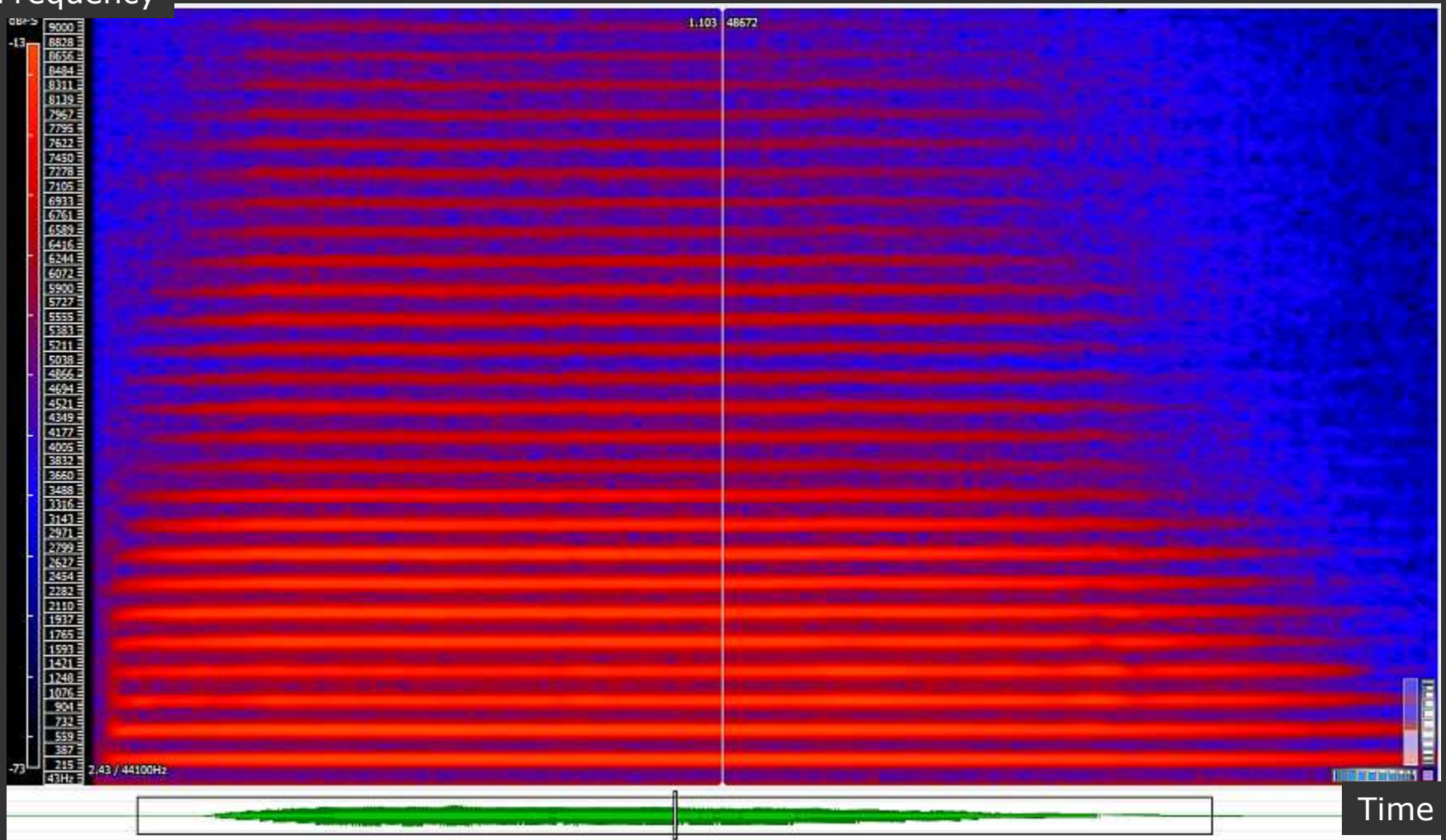
Observe how the partials change in time.



Spectrogram - a plot of spectral changes

3D plot: time vs. frequency vs. spectral amplitude (color)

Frequency



Describing the sound, Part Two

- **Alive, warm, dynamic** sound:
 - the sound changes as it plays,
 - changes in timbre, pitch (e.g. vibrato), loudness,
 - analogue oscillators were not perfect, but they introduced a desired variability in sounds.
- **Dead, cold, static**, „synthetic” sound:
 - no changes as the sound plays,
 - digital oscillators – the sound remains the same,
 - dull, boring results,
 - in order to make the synthetic sounds more alive, we need a **modulation**.

Sound parameters and its timbre

So, why two musical instruments produce sounds with different timbre, while their pitch is the same?

- Different envelopes.
- Different spectral structure.
- Different changes in spectrum, especially during the attack phase.

How to produce synthetic sounds with different timbre?

- Set the desired envelope (easy).
- Shape the static spectrum (easy).
- Ensure spectral changes in time, so that the sound is alive (this is much more difficult).

Spectral changes in the additive synthesis

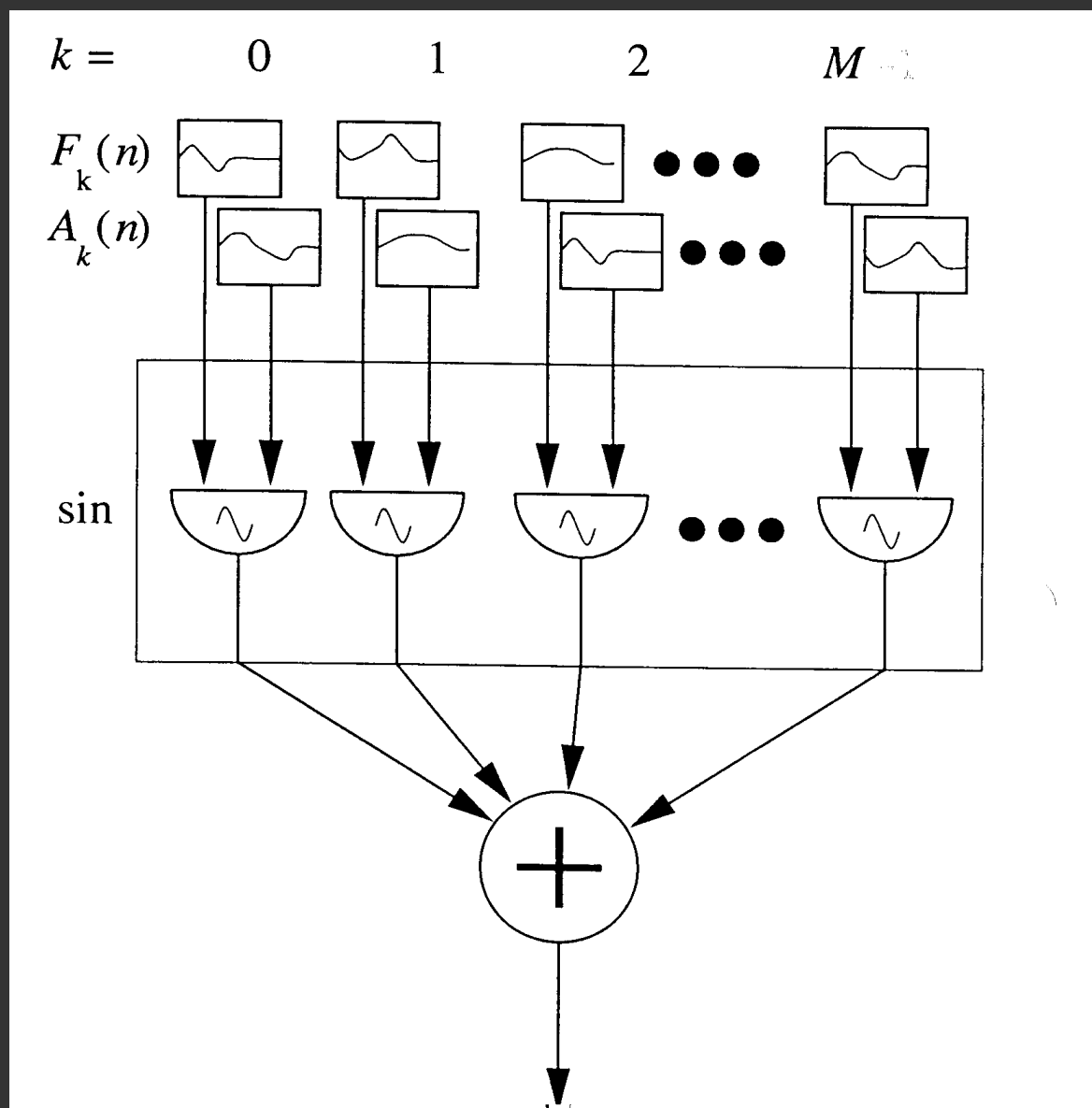
Back to the additive synthesis: how do we introduce dynamic spectral changes? The parameters can't be constant, they must be a function of time. We need to control:

- **amplitude** of each partial: $A_k(t)$
- **frequency deviation** (from the harmonic frequencies) of each partial: $\Delta f_k(t)$

If you **really** need a formula:

$$y(n) = \sum_{k=1}^M A_k(n) \sin(2\pi n(k \cdot f_0 + \Delta f_k(n)))$$

A block diagram of additive synthesis



The easiest synthesis you can imagine.

Practical problem

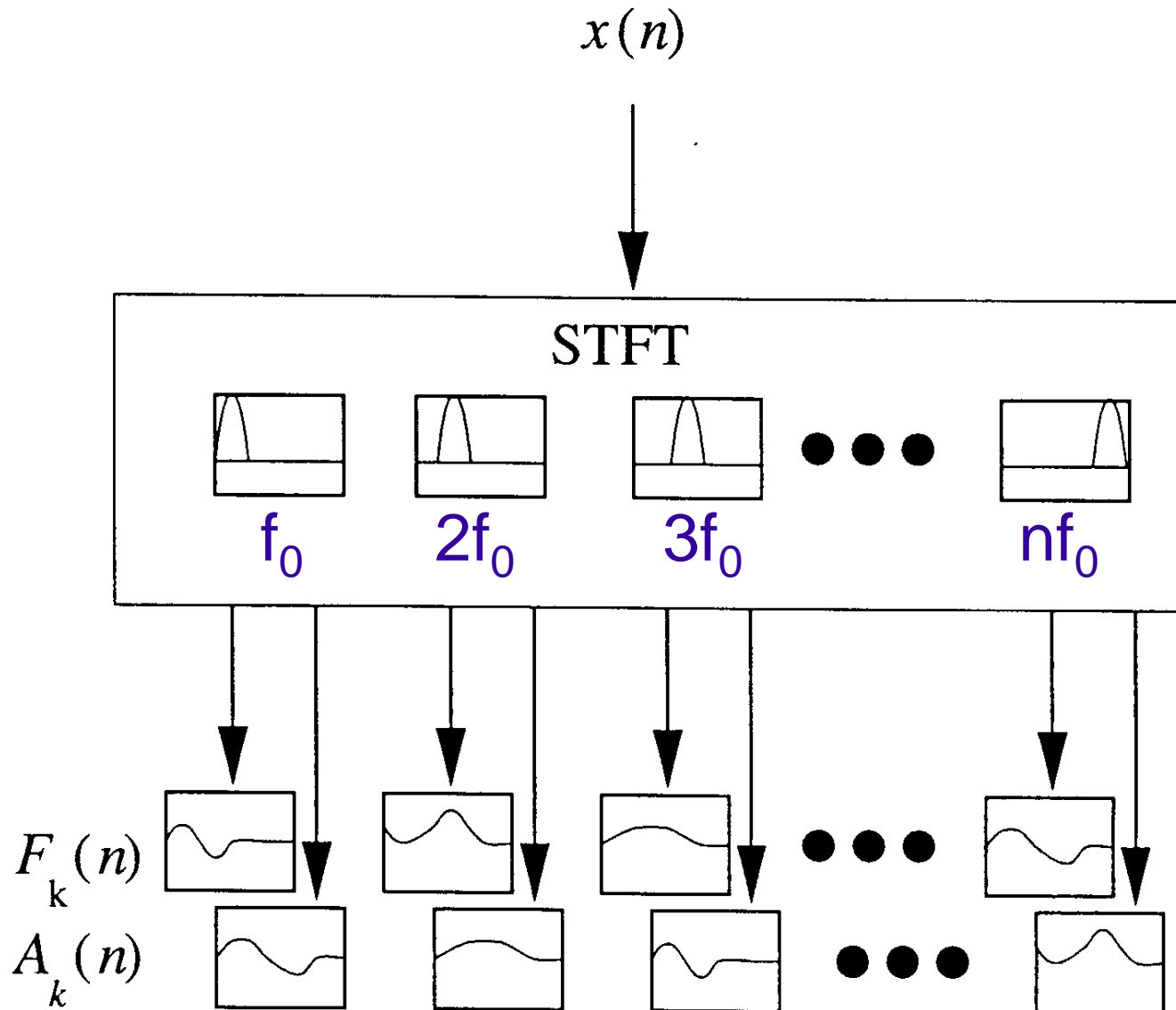
How do we create the control functions?

- They can be created “by hand”. Fairlight tried this, it didn’t work (too cumbersome).
- We can extract the parameters from the **analysis** of recorded musical sounds.
- We can then build a sound by the **additive resynthesis**.
- Instead of generating and summing the partials, we can use IFFT (inverse Fourier transform), it’s easier.
- In practice, samplers do (almost) the same thing much easier.

PV analysis

- PV – phase vocoder analysis
- A bank of narrowband filters tuned to the harmonic frequencies.
- The filters measure energy in each band and produce the control functions.
- This method is inaccurate and coarse, the results are not very good sounding.
- We need to know the fundamental frequency.
- This method fails if the partials go outside their band, especially in the attack phase.

PV analysis



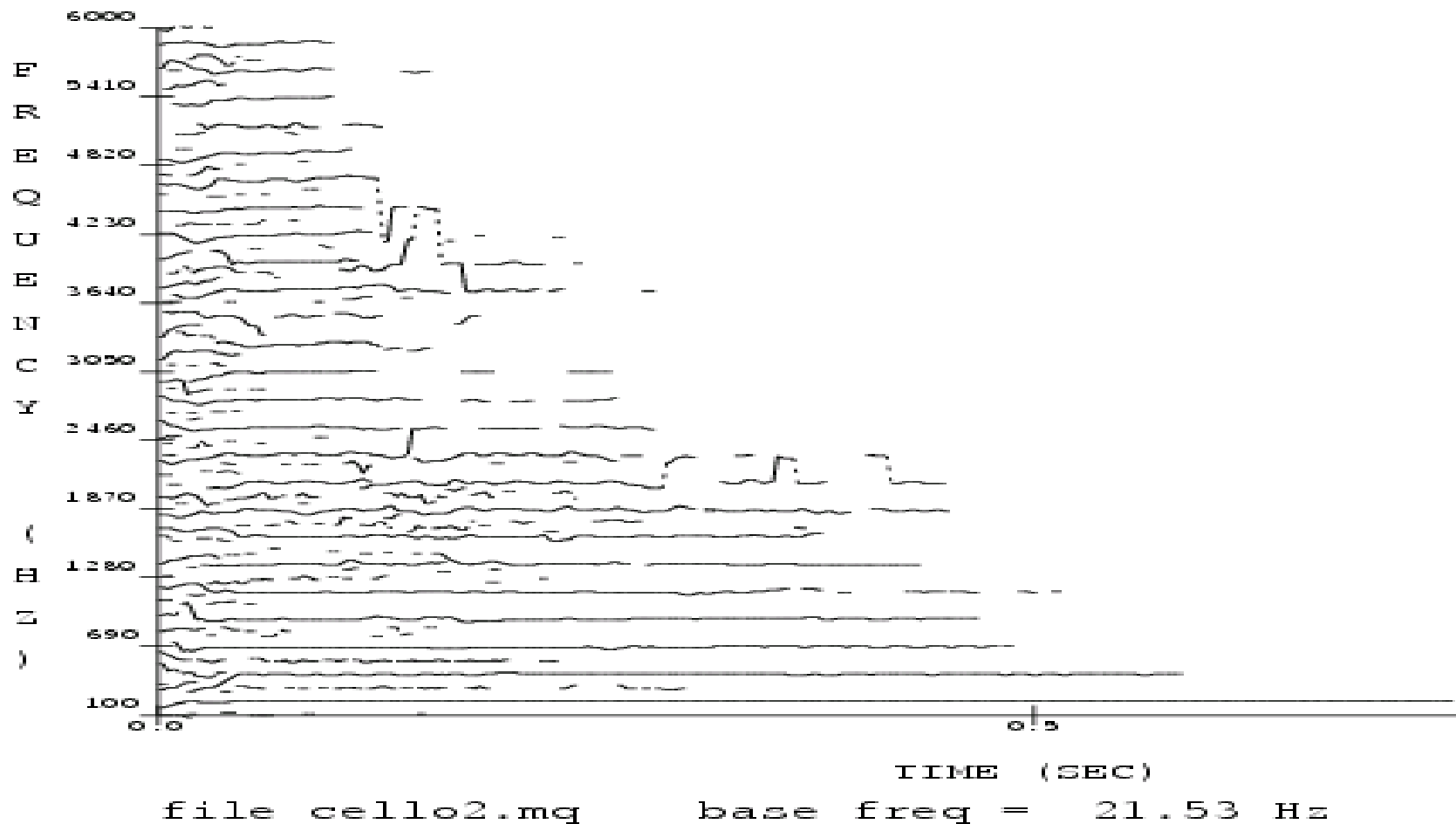
MQ analysis

MQ – an analysis method proposed by McAulay & Quatieri

- Digital FFT analysis in short signal frames.
- Local spectral maxima are found in each frame.
- Maxima that occur in the consecutive frames form spectral **paths**.
- Paths with sufficient duration and level are selected as the control functions.
- Sound resynthesis by IFFT.
- This method is much more accurate than PV.

MQ analysis

The analysis result – the extracted paths



Advantages of the additive synthesis

But, why would we decompose the sound and then rebuild it back? The answer: because we can modify the extracted parameters. For example, we can:

- **transpose** the sound – change its pitch, without changing its duration (sampling can't do that!),
- **time stretch/compress** the sound, without changing its pitch,
- remove unwanted spectral components and noise,
- modify the sound, add/remove partials, mix sounds, add effects, etc. (again: sampling can't do that).

Examples of additive synthesizers

Kurzweil K150 (1986)

- digital additive synthesis
- 240 oscillators
- each partial can be controlled with a computer



Kawai K5000 (1996)

- advanced sound workstation
- additive + sampling
- difficult to use



Multitone generators

- Multitone generators (also called additive generators) are used in some synthesizers.
- They generate tones in harmonic series and sum them in a defined proportion.
- This is not an additive synthesis: amplitudes are not individually controlled, the composed sound is further processed as a whole.
- Sometimes, two separate multitone generators for odd and even partials are used – more realistic effects.

Additive synthesis - a summary

Pros:

- it can recreate sounds of musical instruments,
- sound spectrum can be modified directly,
- it's easy to do pitch shifting and time stretching,
- conceptually easy algorithm.

Cons:

- not for creating new sounds,
- complicated control of the synthesis process
 - each partial must be controlled separately,
- a sampler gives a similar result and it's much easier to use.

Musical sound synthesis

To conclude the lecture: how do EMIs create sounds?

- We can compose the sound from the partials (additive synthesis – we have already learned that).
- We can combine and shape raw initial sounds (subtractive and wavetable synthesis)
- We can create the sound with a computer algorithm, by a modulation (FM synthesis)
- We can simply process and play back recorded sounds (sampling)
- We can build a computer model of an instrument that will create synthetic sounds (waveguide synthesis).

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